# **COURSE MATERIAL**

# III Year B. Tech II- Semester MECHANICAL ENGINEERING

AY: 2023-24



# ARTIFICIAL INTELLIGENCE AND MACHINE LEARNING LAB

R20A0580





# MALLA REDDY COLLEGE OF ENGINEERING & TECHNOLOGY

**DEPARTMENT OF MECHANICAL ENGINEERING** 

(Autonomous Institution-UGC, Govt. of India) Secunderabad-500100, Telangana State, India. www.mrcet.ac.in



(AUTONOMOUS INSTITUTION - UGC, GOVT. OF INDIA)

Affiliated to JNTUH; Approved by AICTE, NBA-Tier 1 & NAAC with A-GRADE | ISO 9001:2015 Maisammaguda, Dhulapally, Komaplly, Secunderabad - 500100, Telangana State, India

# **LABORATORY MANUAL & RECORD**

Name:	\
Roll No: Branch:	
Year:Sem:	







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# Certificate

Certified	that	this	is	the	Bonafide	Record	of	the	Work	Done	by
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# **INDEX**

S.No	Date	Name of the Activity/Experiment	Grade/ Marks	Faculty Signature

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S.No	Date	Name of the Activity/Experiment	Grade/ Marks	Faculty Signature



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# **DEPARTMENT OF MECHANICAL ENGINEERING**

# **CONTENTS**

- 1. Vision, Mission & Quality Policy
- 2. Pos, PSOs & PEOs
- 3. Lab Syllabus
- 4. Al Programs
- 5. ML Programs



(Autonomous Institution – UGC, Govt. of India)

#### **VISION**

❖ To establish a pedestal for the integral innovation, team spirit, originality and competence in the students, expose them to face the global challenges and become technology leaders of Indian vision of modern society.

#### **MISSION**

- ❖ To become a model institution in the fields of Engineering, Technology and Management.
- ❖ To impart holistic education to the students to render them as industry ready engineers.
- To ensure synchronization of MRCET ideologies with challenging demands of International Pioneering Organizations.

#### **QUALITY POLICY**

- To implement best practices in Teaching and Learning process for both UG and PG courses meticulously.
- ❖ To provide state of art infrastructure and expertise to impart quality education.
- ❖ To groom the students to become intellectually creative and professionally competitive.
- ❖ To channelize the activities and tune them in heights of commitment and sincerity, the requisites to claim the never ending ladder of **SUCCESS** year after year.

For more information: www.mrcet.ac.in

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#### **Department of Mechanical Engineering**

# **VISION**

To become an innovative knowledge center in mechanical engineering through state-ofthe-art teaching-learning and research practices, promoting creative thinking professionals.

# **MISSION**

The Department of Mechanical Engineering is dedicated for transforming the students into highly competent Mechanical engineers to meet the needs of the industry, in a changing and challenging technical environment, by strongly focusing in the fundamentals of engineering sciences for achieving excellent results in their professional pursuits.

# **Quality Policy**

- ✓ To pursuit global Standards of excellence in all our endeavors namely teaching, research and continuing education and to remain accountable in our core and support functions, through processes of self-evaluation and continuous improvement.
- ✓ To create a midst of excellence for imparting state of art education, industryoriented training research in the field of technical education.

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#### **Department of Mechanical Engineering**

#### **PROGRAM OUTCOMES**

Engineering Graduates will be able to:

- Engineering knowledge: Apply the knowledge of mathematics, science, engineering fundamentals, and an engineering specialization to the solution of complex engineering problems.
- 2. **Problem analysis**: Identify, formulate, review research literature, and analyze complex engineering problems reaching substantiated conclusions using first principles of mathematics, natural sciences, and engineering sciences.
- 3. Design/development of solutions: Design solutions for complex engineering problems and design system components or processes that meet the specified needs with appropriate consideration for the public health and safety, and the cultural, societal, and environmental considerations.
- 4. **Conduct investigations of complex problems**: Use research-based knowledge and research methods including design of experiments, analysis and interpretation of data, and synthesis of the information to provide valid conclusions.
- 5. **Modern tool usage**: Create, select, and apply appropriate techniques, resources, and modern engineering and IT tools including prediction and modeling to complex engineering activities with an understanding of the limitations.
- 6. **The engineer and society**: Apply reasoning informed by the contextual knowledge to assess societal, health, safety, legal and cultural issues and the consequent responsibilities relevant to the professional engineering practice.
- 7. **Environment and sustainability**: Understand the impact of the professional engineering solutions in societal and environmental contexts, and demonstrate the knowledge of, and need for sustainable development.
- 8. **Ethics**: Apply ethical principles and commit to professional ethics and responsibilities and norms of the engineering practice.
- 9. **Individual and teamwork**: Function effectively as an individual, and as a member or leader in diverse teams, and in multidisciplinary settings.
- 10. Communication: Communicate effectively on complex engineering activities with the engineering community and with society at large, such as, being able to comprehend and write effective reports and design documentation, make effective presentations, and give and receive clear instructions.
- 11. **Project management and finance**: Demonstrate knowledge and understanding of the engineering and management principles and apply these to one's own work, as a member and leader in a team, to manage projects and in multidisciplinary environments.

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#### **Department of Mechanical Engineering**

12. **Life-long learning**: Recognize the need for and have the preparation and ability to engage in independent and life-long learning in the broadest context of technological change.

# PROGRAM SPECIFIC OUTCOMES (PSOs)

- **PSO1** Ability to analyze, design and develop Machine learning systems to solve the Engineering problems by integrating design and manufacturing Domains.
- **PSO2** Ability to succeed in competitive examinations or to pursue higher studies or research.
- **PSO3** Ability to apply the learned Mechanical Engineering knowledge for the Development of society and self.

# **Program Educational Objectives (PEOs)**

The Program Educational Objectives of the program offered by the department are broadly listed below:

#### **PEO1: PREPARATION**

To provide sound foundation in mathematical, scientific and engineering fundamentals necessary to analyze, formulate and solve engineering problems.

#### **PEO2: CORE COMPETANCE**

To provide thorough knowledge in Mechanical Engineering subjects including theoretical knowledge and practical training for preparing Artificial models pertaining to Automobile Engineering, Element Analysis, Production Technology, Mechatronics etc.,

#### PEO3: INVENTION, INNOVATION AND CREATIVITY

To make the students to design, experiment, analyze, interpret in the core field with the help of other inter disciplinary concepts wherever applicable.

#### **PEO4: CAREER DEVELOPMENT**

To inculcate the habit of lifelong learning for career development through successful completion of advanced degrees, professional development courses, industrial training etc.

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## **Department of Mechanical Engineering**

#### **PEO5: PROFESSIONALISM**

To impart technical knowledge, ethical values for professional development of the student to solve complex problems and to work in multi-disciplinary ambience, whose solutions lead to significant societal benefits.

# **CODE OF CONDUCT**

- 1. Students should bring lab Manual/Record for every laboratory session and should enter the readings/observations in the manual while performing the experiment.
- 2. The group- wise division made in the beginning should be adhered to, and no mix up of students among different groups will be permitted later.
- 3. The components required pertaining to the experiment should be collected from stores in –charge after duly filling in the requisition form.
- 4. When the experiment is completed, students should disconnect the setup made by them, and should return all the components/instruments taken for the purpose.
- Any damage to the apparatus that occurs during the experiment should be brought to the notice of lab in-charge, consequently, the cost of repair or new apparatus should be brought by the students.
- 6. After completion of the experiment, certification of the concerned staff in -charge in the observation book is necessary.
- 7. Students should be present in the labs for the total scheduled duration.
- 8. Students should not carry any food items inside the laboratory.
- 9. Use of cell phones and IPODs are forbidden.
- 10. Students should not write on or deface any lab desks, computers, or any equipment provided to them during the experiment.
- 11. Every student should keep his/her work area properly before leaving the laboratory.

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# **Department of Mechanical Engineering**

# **INDEX**

S.NO.	NAMEOFTHEEXPERIMENT	PAGENOs.
1	program to implement all set operations	03-04
2	Implementation of DFS for water jug problem	04-05
3	Implementation of BFS for tic-tac-toe problem	06-11
4	8-puzzle problem using best first search	12-18
5	Program to solve 8 queens problem	19–27
6	Implementation of Hill-climbing to solve 8- Puzzle Problem	28-29
7	Data Extraction, Wrangling	30-31
8	Implementation of Linear Regression	32-35
9	Implementation of Multiple Regression	36–39
10	Implementation of K-nearest Neighbor	40-42
11	Implementing K-means Clustering	43-46
12	Implementing Hierarchical Clustering	47–50

B. Tech (ME)

#### MALLA REDDY COLLEGE OF ENGINEERING AND TECHNOLOGY

#### III Year B.Tech. ME- II Sem

L/T/P/C -/-/3/1.5

#### (R20A0580) ARTIFICIAL INTELLIGENCE & MACHINE LEARNING LAB

#### LAB OBJECTIVES:

- 1. Familiarity with the Prolog programming environment.
- 2. To introduce students to the basic concepts and techniques of Machine Learning.
- 3. To implement classification and clustering methods.
- 4. To become familiar with Dimensionality reduction Techniques.
- 5. Learning basic concepts of Prolog through illustrative examples and small exercises &Understanding list data structure in Prolog.

#### STUDY OF PROLOG; WRITE THE FOLLOWING PROGRAMS USING PROLOG/PYTHON

week-1. Write a program to implement all set operations (Union, Intersection, Complement etc)

week-2.Implementation of DFS for water jug problem using PROLOG

week-3. Implementation of BFS for tic-tac-toe problem using PROLOG

week-4. Solve 8-puzzle problem using best first search

week-5. Write a program to solve 8 queens problem

week-6. Implementation of Hill-climbing to solve 8- Puzzle Problem

MACHINE LEARNING

WEEK-1

Data Extraction, Wrangling

- 1. Loading different types of dataset in Python
- 2. Arranging the data

#### WFFK-2

**Data Visualization** 

- 1. Handling missing values
- 2. Plotting the graphs

#### WEEK-3

Supervised Learning

Implementation of Linear Regression

#### WEEK-4

Implementation of K-nearest Neighbor

#### WEEK-5

**Unsupervised Learning** 

Implementing K-means Clustering

#### WEEK-6

**Unsupervised Learning** 

Implementing Hierarchical Clustering

#### LAB OUTCOMES:

1. Apply various AI search algorithms (uninformed, informed, heuristic, constraint satisfaction,)

B. Tech (ME)

2. Understand the fundamentals of knowledge representation, inference using AI tools..

- 3. Solve the problems using various machine learning techniques
- 4. Design application using machine learning techniques

#### **PROGRAM-1**

# **Sets and Set Operations in Python**

A set is defined by enclosing all of the items (i.e., elements) in curly brackets and separating them with a comma or using the built-in set() method. It can include an unlimited number of elements of various categories (integer, float, tuple, string, etc.).

However, a set may not contain mutable items such as lists, sets, or dictionaries. Empty sets can be slightly tricky to use in Python. In Python, empty curly braces result in an empty dictionary; however, we cannot use them to initialize an empty set. Instead, we use the set() function without any arguments to create a set with no elements.

```
# Program to perform different set operations
# as we do in mathematics
# sets are define
A = \{0, 2, 4, 6, 8\};
B = \{1, 2, 3, 4, 5\};
# union
print("Union:", A | B)
# intersection
print("Intersection:", A & B)
# difference
print("Difference :", A - B)
# symmetric difference
print("Symmetric difference :", A ^ B)
Output:
('Union:', set([0, 1, 2, 3, 4, 5, 6, 8]))
('Intersection:', set([2, 4]))
('Difference:', set([8, 0, 6]))
('Symmetric difference:', set([0, 1, 3, 5, 6, 8]))
```

#### **PROGRAM-2**

# **Implement Water-Jug problem using Python**

This function is used to initialize the dictionary elements with a default value.

from collections import defaultdict

# jug1 and jug2 contain the value for max capacity in respective jugsand aim is the amount of water to be measured.

```
jug1, jug2, aim = 4, 3, 2
```

# Initialize dictionary withdefault value as false.

```
visited = defaultdict(lambda: False)
```

# Recursive function which prints the intermediate steps to reach the final solution and return Boolean value (True if solution is possible, otherwise False).amt1 and amt2 are the amount of water present in both jugs at a certain point of time.

```
def waterJugSolver(amt1, amt2):
```

# Checks for our goal andreturns true if achieved.

```
if (amt1 == aim and amt2 == 0) or (amt2 == aim and amt1 == 0):

print (amt1, amt2)

return True
```

# Checks if we have already visited the combination or not. If not, then it proceeds further.

```
if visited [(amt1, amt2)] == False:
print (amt1, amt2)
```

# Changes the Boolean value of the combination as it is visited.

```
Visited [(amt1, amt2)] = True
```

# Check for all the 6 possibilities andsee if a solution is found in any one of them.

```
return (waterJugSolver(0, amt2) or
```

```
waterJugSolver(jug1, amt2) or
waterJugSolver(amt1, jug2) or
waterJugSolver(amt1 + min(amt2, (jug1-amt1)),
amt2 - min(amt2, (jug1-amt1))) or
waterJugSolver(amt1 - min(amt1, (jug2-amt2)),
amt2 + min(amt1, (jug2-amt2))))
```

# Return False if the combination is already visited to avoid repetition otherwise recursion will enter an infinite loop.

else:

return False

print ("Steps: ")

# Call the function and pass the initial amount of water present in both jugs.

waterJugSolver(0, 0)

#### **OUTPUT:**

Steps:

0 0

4 0

4 3

03

3 0

3 3

4 2

0 2

# **PROGRAM-3**

# Tic-Tac-Toe Program using random number in Python

```
# importing all necessary libraries
import numpy as np
import random
from time import sleep
# Creates an empty board
def create board():
       return(np.array([[0, 0, 0]],
                                      [0, 0, 0],
                                      [0, 0, 0]])
# Check for empty places on board
def possibilities(board):
       1 = \lceil \rceil
       for i in range(len(board)):
               for j in range(len(board)):
                       if board[i][j] == 0:
                               l.append((i, j))
       return(1)
# Select a random place for the player
def random_place(board, player):
       selection = possibilities(board)
       current loc = random.choice(selection)
       board[current loc] = player
```

```
# Checks whether the player has three of their marks in a horizontal row
def row win(board, player):
       for x in range(len(board)):
               win = True
               for y in range(len(board)):
                      if board[x, y] != player:
                              win = False
                              continue
               if win == True:
                      return(win)
       return(win)
# Checks whether the player has three of their marks in a vertical row
def col win(board, player):
       for x in range(len(board)):
               win = True
               for y in range(len(board)):
                      if board[y][x] != player:
                              win = False
                              continue
               if win == True:
```

return(board)

Page 7

return(win)

return(win)

```
# Checks whether the player has three of their marks in a diagonal row
def diag win(board, player):
       win = True
       y = 0
       for x in range(len(board)):
               if board[x, x] != player:
                      win = False
       if win:
               return win
       win = True
       if win:
               for x in range(len(board)):
                      y = len(board) - 1 - x
                      if board[x, y] != player:
                              win = False
       return win
# Evaluates whether there is a winner or a tie
def evaluate(board):
       winner = 0
       for player in [1, 2]:
               if (row_win(board, player) or
                              col win(board, player) or
```

```
diag_win(board, player)):
                      winner = player
       if np.all(board != 0) and winner == 0:
               winner = -1
       return winner
# Main function to start the game
def play game():
       board, winner, counter = create_board(), 0, 1
       print(board)
       sleep(2)
       while winner == 0:
               for player in [1, 2]:
                      board = random place(board, player)
                      print("Board after " + str(counter) + " move")
                      print(board)
                      sleep(2)
                      counter += 1
                      winner = evaluate(board)
                      if winner != 0:
                             break
       return(winner)
# Driver Code
print("Winner is: " + str(play_game()))
```

# **OUTPUT:**

[[0 0 0]]
[0 0 0]
[0 0 0]]
Board after 1 move
[[0 0 0]]
[0 0 0]
[1 0 0]]
Board after 2 move
[[0 0 0]]
[0 2 0]
[1 0 0]]
Board after 3 move
[[0 1 0]
[0 2 0]
[1 0 0]]
Board after 4 move
[[0 1 0]
[2 2 0]
[1 0 0]]
Board after 5 move
[[1 1 0]
[2 2 0]
[1 0 0]]
Board after 6 move
[[1 1 0]
[2 2 0]
[1 2 0]]
Board after 7 move
[[1 1 0]

- [2 2 0]
- [1 2 1]]

Board after 8 move

- [[1 1 0]
- [2 2 2]
- [1 2 1]]

Winner is: 2

# **PROGRAM-4**

# **Solving 8-Puzzle using BFS**

The solution assumes that instance of puzzle is solvable

```
# Importing copy for deep-copy function
import copy
# Importing the heap functions from python library for Priority Queue
from heapq import heappush, heappop
# This variable can be changed to change the program from 8 puzzle(n=3) to 15 puzzle(n=4)
to 24 puzzle(n=5)...
n = 3
# bottom, left, top, right
row = [1, 0, -1, 0]
col = [0, -1, 0, 1]
# A class for Priority Queue
class priorityQueue:
# Constructor to initialize a Priority Queue
       def __init__(self):
               self.heap = []
# Inserts a new key 'k'
       def push(self, k):
               heappush(self.heap, k)
```

```
# Method to remove minimum element from Priority Queue
       def pop(self):
              return heappop(self.heap)
# Method to know if the Queue is empty
       def empty(self):
              if not self.heap:
                      return True
              else:
                      return False
# Node structure
class node:
       def init (self, parent, mat, empty tile pos,
                             cost, level):
# Stores the parent node of the current node helps in tracing path when the answer is found
              self.parent = parent
# Stores the matrix
              self.mat = mat
# Stores the position at which the empty space tile exists in the matrix
              self.empty tile pos = empty tile pos
# Stores the number of misplaced tiles
              self.cost = cost
# Stores the number of moves so far
```

```
self.level = level
```

# This method is defined so that the priority queue is formed based on the cost variable of the objects

```
def lt (self, nxt):
              return self.cost<nxt.cost
# Function to calculate the number of misplaced tiles ie. number of non-blank tiles not in
their goal position
def calculateCost(mat, final) -> int:
       count = 0
       for i in range(n):
               for j in range(n):
                      if ((mat[i][j]) and
                              (mat[i][j] != final[i][j])):
                              count += 1
       return count
def newNode(mat, empty tile pos, new empty tile pos,
                      level, parent, final) -> node:
# Copy data from parent matrix to current matrix
       new_mat = copy.deepcopy(mat)
# Move tile by 1 position
       x1 = empty\_tile\_pos[0]
       y1 = empty tile pos[1]
       x2 = new\_empty\_tile\_pos[0]
```

```
y2 = new_empty_tile_pos[1]
       new mat[x1][y1], new mat[x2][y2] = new mat[x2][y2], new mat[x1][y1]
# Set number of misplaced tiles
       cost = calculateCost(new mat, final)
       new node = node(parent, new mat, new empty tile pos,
                                     cost, level)
       return new node
# Function to print the N x N matrix
def printMatrix(mat):
       for i in range(n):
               for j in range(n):
                      print("%d " % (mat[i][i]), end = " ")
              print()
# Function to check if (x, y) is a valid matrix coordinate
def isSafe(x, y):
       return x \ge 0 and x \le n and y \ge 0 and y \le n
# Print path from root node to destination node
def printPath(root):
       if root == None:
              return
       printPath(root.parent)
       printMatrix(root.mat)
```

```
print()
# Function to solve N*N - 1 puzzle algorithm using Branch and Bound. empty tile pos is the
blank tile position in the initial state.
def solve(initial, empty_tile_pos, final):
# Create a priority queue to store live nodes of search tree
       pq = priorityQueue()
# Create the root node
       cost = calculateCost(initial, final)
       root = node(None, initial,
                              empty tile pos, cost, 0)
# Add root to list of live nodes
       pq.push(root)
# Finds a live node with least cost, add its children to list of live nodes and finally deletes it
from the list.
       while not pq.empty():
# Find a live node with least estimated cost and delete it form the list of live nodes
               minimum = pq.pop()
# If minimum is the answer node
               if minimum.cost == 0:
# Print the path from root to destination;
                       printPath(minimum)
                       return
```

```
# Generate all possible children
              for i in range(4):
                      new tile pos = [
                             minimum.empty tile pos[0] + row[i],
                             minimum.empty tile pos[1] + col[i], ]
                     if isSafe(new_tile_pos[0], new_tile_pos[1]):
# Create a child node
                             child = newNode(minimum.mat,
                                                          minimum.empty tile pos,
                                                          new_tile_pos,
                                                          minimum.level + 1,
                                                          minimum, final,)
# Add child to list of live nodes
                             pq.push(child)
# Driver Code
# Initial configuration Value 0 is used for empty space
initial = [[1, 2, 3],
                      [5, 6, 0],
                     [7, 8, 4]]
```

# Solvable Final configuration Value 0 is used for empty space

# Blank tile coordinates in initial configuration

```
empty_tile_pos = [ 1, 2 ]
```

# Function call to solve the puzzle

solve(initial, empty\_tile\_pos, final)

# **Output:**

- 1 2 3
- 5 6 0
- 784
- 1 2 3
- 506
- 784
- 1 2 3
- 586
- 7 0 4
- 1 2 3
- 586
- 074

#### **PROGRAM-5**

# Program to solve 8-queen problem

Python program to solve N QueenProblem using backtrackingglobal N

```
N = 4
def printSolution(board):
       for i in range(N):
               for j in range(N):
                       print (board[i][j],end=' ')
               print()
# A utility function to check if a queen can be placed on board[row][col]. Note that this
function is called when "col" queens are already placed in columns from 0 to col -1. So we
need to check only left side for attacking queens
def isSafe(board, row, col):
# Check this row on left side
       for i in range(col):
               if board[row][i] == 1:
                       return False
# Check upper diagonal on left side
       for i, j in zip(range(row, -1, -1), range(col, -1, -1)):
               if board[i][j] == 1:
                       return False
# Check lower diagonal on left side
       for i, j in zip(range(row, N, 1), range(col, -1, -1)):
```

```
if board[i][j] == 1:
                       return False
       return True
def solveNQUtil(board, col):
       # base case: If all queens are placed then return true
       if col >= N:
               return True
# Consider this column and try placing this queen in all rows one by one
       for i in range(N):
               if isSafe(board, i, col):
# Place this queen in board[i][col]
                       board[i][col] = 1
# recur to place rest of the queens
                       if solveNQUtil(board, col + 1) == True:
                              return True
# If placing queen in board[i][col doesn't lead to a solution, then queen from board[i][col]
                       board[i][col] = 0
```

# if the queen can not be placed in any row in this column col then return false return False

# This function solves the N Queen problem using Backtracking. It mainly uses solveNQUtil() to solve the problem. It returns false if queens cannot be placed, otherwise return true and placement of queens in the form of 1s. note that there may be more than one solutions, this function prints one of the feasible solutions.

def solveNQ():

```
Output:
0 0 1 0
1000
0001
0 1 0 0
Python3 implementation of the above approach
from random import randint
N = 8
# A utility function that configures the 2D array "board" and array "state" randomly to
provide a starting point for the algorithm.
def configureRandomly(board, state):
# Iterating through the column indices
       for i in range(N):
# Getting a random row index
              state[i] = randint(0, 100000) \% N;
# Placing a queen on the obtained place in chessboard.
              board[state[i]][i] = 1;
# A utility function that prvars the 2D array "board".
def prvarBoard(board):
       for i in range(N):
              print(*board[i])
# A utility function that prvars the array "state".
def prvarState( state):
       print(*state)
# A utility function that compares two arrays, state1 and state2 and returns True if equal and
```

False otherwise.

```
def compareStates(state1, state2):
       for i in range(N):
               if (state1[i] != state2[i]):
                       return False;
       return True;
# A utility function that fills the 2D array "board" with values "value"
def fill(board, value):
       for i in range(N):
               for j in range(N):
                       board[i][j] = value;
# This function calculates the objective value of the state(queens attacking each other) using
the board by the following logic.
def calculateObjective( board, state):
# For each queen in a column, we check for other queens falling in the line of our current
queen and if found, any, then we increment the variable attacking count.
# Number of queens attacking each other, initially zero.
       attacking = 0;
# Variables to index a particular row and column on board.
       for i in range(N):
# At each column 'i', the queen is placed at row 'state[i]', by the definition of our state.
# To the left of same row (row remains constant and col decreases)
               row = state[i]
               col = i - 1;
               while (col \ge 0 \text{ and board}[row][col] != 1):
                       col = 1
               if (col \ge 0 \text{ and board}[row][col] == 1):
```

```
attacking += 1;
# To the right of same row (row remains constant and col increases)
                 row = state[i]
                 col = i + 1;
                 while (col < N \text{ and board[row][col] } != 1):
                         col += 1;
                 if (col < N \text{ and board}[row][col] == 1):
                         attacking += 1;
# Diagonally to the left up (row and col simultaneously decrease)
                 row = state[i] - 1
                 col = i - 1;
                 while (col \ge 0 \text{ and } row \ge 0 \text{ and } board[row][col] != 1):
                         col=1;
                         row-= 1;
                 if (col \ge 0 \text{ and } row \ge 0 \text{ and } board[row][col] == 1):
                         attacking+= 1;
# Diagonally to the right down (row and col simultaneously increase)
                 row = state[i] + 1
                 col = i + 1;
                 while (col \le N \text{ and } row \le N \text{ and } board[row][col] != 1):
                         col += 1;
                         row += 1;
                 if (col < N \text{ and } row < N \text{ and } board[row][col] == 1):
                         attacking += 1;
```

# Diagonally to the left down (col decreases and row increases)

```
row = state[i] + 1
                 col = i - 1;
                 while (col \ge 0 \text{ and } row \le N \text{ and } board[row][col] != 1):
                         col = 1;
                         row += 1;
                 if (col \ge 0 \text{ and } row \le N \text{ and } board[row][col] == 1):
                         attacking += 1;
# Diagonally to the right up (col increases and row decreases)
                row = state[i] - 1
                col = i + 1;
                 while (col < N \text{ and } row >= 0 \text{ and } board[row][col] != 1):
                         col += 1;
                         row = 1;
                 if (col < N \text{ and } row >= 0 \text{ and } board[row][col] == 1):
                         attacking += 1;
# Return pairs.
        return int(attacking / 2);
# A utility function that generates a board configuration given the state.
def generateBoard( board, state):
        fill(board, 0);
        for i in range(N):
                board[state[i]][i] = 1;
# A utility function that copies contents of state2 to state1.
def copyState( state1, state2):
        for i in range(N):
                 state1[i] = state2[i];
```

```
# This function gets the neighbour of the current state having the least objective value
amongst all neighbours as well as the current state.
def getNeighbour(board, state):
# Declaring and initializing the optimal board and state with the current board and the state as
the starting point.
       opBoard = [[0 for in range(N)] for in range(N)]
       opState = [0 for in range(N)]
       copyState(opState, state);
       generateBoard(opBoard, opState);
# Initializing the optimal objective value
       opObjective = calculateObjective(opBoard, opState);
# Declaring and initializing the temporary board and state for the purpose of computation.
       NeighbourBoard = [[0 \text{ for in range}(N)] \text{ for in range}(N)]
       NeighbourState = [0 \text{ for } in \text{ range}(N)]
       copyState(NeighbourState, state);
       generateBoard(NeighbourBoard, NeighbourState);
# Iterating through all possible neighbours of the board.
       for i in range(N):
               for j in range(N):
# Condition for skipping the current state
                      if (j != state[i]):
# Initializing temporary neighbour with the current neighbour.
                              NeighbourState[i] = j;
```

```
NeighbourBoard[NeighbourState[i]][i] = 1;

NeighbourBoard[state[i]][i] = 0;

# Calculating the objective value of the neighbour.

temp = calculateObjective( NeighbourBoard, NeighbourState);

# Comparing temporary and optimal neighbour objectives and if temporary is less than optimal then updating accordingly.

if (temp <= opObjective):

opObjective = temp;

copyState(opState, NeighbourState);

generateBoard(opBoard, opState);

# Going back to the original configuration for the next iteration.

NeighbourBoard[NeighbourState[i]][i] = 0;

NeighbourState[i] = state[i];

NeighbourBoard[state[i]][i] = 1;
```

# Copying the optimal board and state thus found to the current board and, state since c+=1 doesn't allow returning multiple values.

```
copyState(state, opState);
fill(board, 0);
generateBoard(board, state);
```

Page 27

### Implementation of Hill-climbing to solve 8-puzzle problem

```
def hillClimbing(board, state):
# Declaring and initializing the neighbour board and state with the current board and the state
as the starting point.
       neighbourBoard = [[0 for in range(N)] for in range(N)]
       neighbourState = [0 \text{ for } in \text{ range}(N)]
       copyState(neighbourState, state);
       generateBoard(neighbourBoard, neighbourState);
       while True:
# Copying the neighbour board and state to the current board and state, since a neighbour
becomes current after the jump.
              copyState(state, neighbourState);
               generateBoard(board, state);
# Getting the optimal neighbour
              getNeighbour(neighbourBoard, neighbourState);
              if (compareStates(state, neighbourState)) :
# If neighbour and current are equal then no optimal neighbour exists and therefore output the
result and break the loop.
                      prvarBoard(board);
                      break:
               elif
                       (calculateObjective(board,
                                                       state)
                                                                          calculateObjective(
neighbourBoard,neighbourState)):
```

```
# If neighbour and current arenot equal but their objectives are equal then we are
eitherapproaching a shoulder or alocal optimum, in any case, jump to a random neighbourto
escape it.
# Random neighbour
                     neighbourState[randint(0, 100000) % N] = randint(0, 100000) % N;
                     generateBoard(neighbourBoard, neighbourState);
# Driver code
state = [0] * N
board = [[0 for _ in range(N)] for _ in range(N)]
# Getting a starting point by randomly configuring the board
configureRandomly(board, state);
# Do hill climbing on the board obtained
hillClimbing(board, state);
Output:
0\; 0\; 1\; 0\; 0\; 0\; 0\; 0
00000100
00000001
```

 $0\ 0\ 0\ 0\ 1\ 0\ 0\ 0$   $0\ 1\ 0\ 0\ 0\ 0\ 0$ 

 $1\ 0\ 0\ 0\ 0\ 0\ 0$   $0\ 0\ 0\ 1\ 0\ 0\ 0$   $0\ 0\ 0\ 0\ 0\ 1\ 0$ 

### LABEL ENCODING

In machine learning, we usually deal with datasets that contain multiple labels in one or more than one columns. These labels can be in the form of words or numbers. To make the data understandable or in human-readable form, the training data is often labelled in words.

**Label Encoding** refers to converting the labels into a numeric form so as to convert them into the machine-readable form. Machine learning algorithms can then decide in a better way how those labels must be operated. It is an important pre-processing step for the structured dataset in supervised learning.

#### **Example:**

Suppose we have a column *Height* in some dataset.



After applying label encoding, the Height column is converted into:

Height
0
1
2

where 0 is the label for tall, 1 is the label for medium, and 2 is a label for short height.

We apply *Label Encoding* on iris dataset on the target column which is Species. It contains three species *Iris-setosa*, *Iris-versicolor*, *Iris-virginica*.

# Import libraries

import numpy as np

import pandas as pd

```
# Import dataset
df = pd.read csv('../../data/Iris.csv')
df['species'].unique()
Output:
array(['Iris-setosa', 'Iris-versicolor', 'Iris-virginica'], dtype=object)
After applying Label Encoding
# Import label encoder
from sklearn import preprocessing
# label encoder object knows how to understand word labels.
label encoder = preprocessing.LabelEncoder()
# Encode labels in column 'species'.
df['species']= label encoder.fit transform(df['species'])
df['species'].unique()
Output:
```

array([0, 1, 2], dtype=int64)

#### **Limitation of label Encoding:**

Label encoding converts the data in machine-readable form, but it assigns a unique number (starting from 0) to each class of data. This may lead to the generation of priority issues in the training of data sets. A label with a high value may be considered to have high priority than a label having a lower value.

## **Implementing Simple Linear Regression**

Simple linear regression is an approach for predicting a **response** using a **single feature**. It is assumed that the two variables are linearly related. Hence, we try to find a linear function that predicts the response value(y) as accurately as possible as a function of the feature

Let us consider a dataset where we have a value of response y for every feature x:

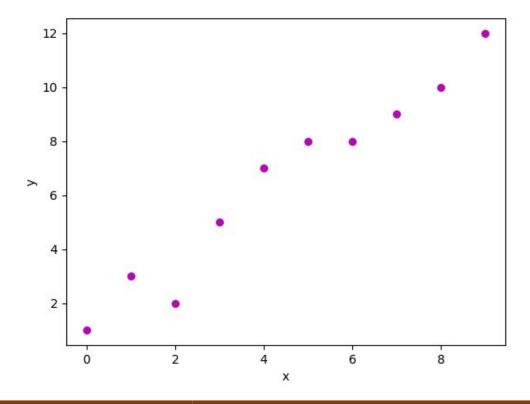
x	0	1	2	3	4	5	6	7	8	9
у	1	3	2	5	7	8	8	9	10	12

For generality, we define:

x as **feature vector**, i.e  $x = [x_1, x_2, ...., x_n]$ ,

y as **response vector**, i.e  $y = [y_1, y_2, ..., y_n]$ 

for **n** observations (in above example, n=10). A scatter plot of the above dataset looks like:-



Now, the task is to find a **line that fits best** in the above scatter plot so that we can predict the response for any new feature values. (i.e a value of x not present in a dataset)

Thisline is called a **regression line**.

The equation of regression line is represented as:

$$H(x_i) = B_0 + B_1 x_i$$
Here,

- h(x i) represents the **predicted response value** for  $i^{th}$  observation.
- b\_0 and b\_1 are regression coefficients and represent **y-intercept** and **slope** of regression line respectively.

To create our model, we must "learn" or estimate the values of regression coefficients b\_0 and b\_1. And once we've estimated these coefficients, we can use the model to predict responses!

In this article, we are going to use the principle of Least Squares.

Now consider:

$$Y_i = B_0 + B_1 x_i + E_i$$
$$E_i = Y_i - H(x_i)$$

#### PROGRAM-

Python implementation of above technique on our small dataset

```
SS xx = np.sum(x*x) - n*m x*m x
# calculating regression coefficients
       b 1 = SS xy / SS xx
       b = 0 = m y - b 1*m x
       return (b 0, b 1)
def plot regression line(x, y, b):
# plotting the actual points as scatter plot
       plt.scatter(x, y, color = "m",
                      marker = "o", s = 30)
# predicted response vector
       y pred = b[0] + b[1]*x
# plotting the regression line
       plt.plot(x, y pred, color = "g")
# putting labels
       plt.xlabel('x')
       plt.ylabel('y')
# function to show plot
       plt.show()
def main():
# observations / data
       x = \text{np.array}([0, 1, 2, 3, 4, 5, 6, 7, 8, 9])
       y = np.array([1, 3, 2, 5, 7, 8, 8, 9, 10, 12])
# estimating coefficients
       b = estimate coef(x, y)
       print("Estimated coefficients:\nb 0 = \{\}\
```

$$\nb_1 = {}$$
".format(b[0], b[1]))

# plotting regression line

plot regression line(x, y, b)

### **OUTPUT:**

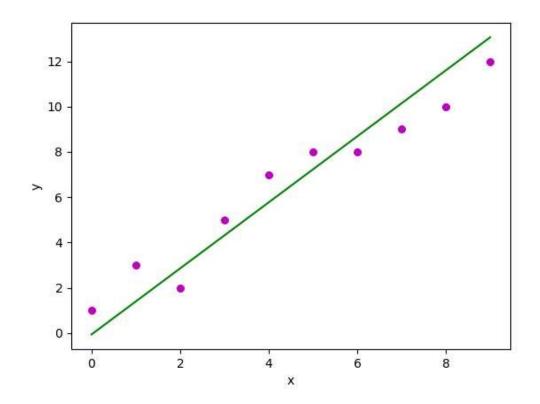
Estimated coefficients:

main()

$$b_0 = -0.0586206896552$$

$$b_1 = 1.45747126437$$

And graph obtained looks like this:



### Multiple linear regression

Multiple linear regression attempts to model the relationship between **two or morefeatures** and a response by fitting a linear equation to the observed data. Clearly, it is nothing but an extension of simple linear regression. Consider a dataset with **p** features (or independent variables) and one response (or dependent variable). Also, the dataset contains **n** rows/observations.

We define:X (**feature matrix**) = a matrix of size  $\mathbf{n} \times \mathbf{p}$  where  $\mathbf{x}_{\{ij\}}$  denotes the values of  $\mathbf{j}_{th}$ -feature--for-- $\mathbf{i}_{th}$ -observation.

So,

and

y (**response vector**) = a vector of size  $\mathbf{n}$  where  $\mathbf{y}_{\{i\}}$  denotes the value of response for  $\mathbf{i}_{th}$  observation.

The **regression line** for **p** features is represented as:

$$H(xi) = B_0 + B_1 x_{i1} + \dots B_p x_{ip}$$

### **Program-3**

Python implementation of multiple linear regression techniques on the Boston house pricing dataset using Scikit-learn.

```
import matplotlib.pyplot as plt
import numpy as np
from sklearn import datasets, linear model, metrics
# load the boston dataset
boston = datasets.load boston(return X y=False)
# defining feature matrix(X) and response vector(y)
X = boston.data
y = boston.target
# splitting X and y into training and testing sets
from sklearn.model_selection import train_test_split
X train, X test, y train, y test = train test split(X, y, test size=0.4,
       random state=1)
# create linear regression object
reg = linear model.LinearRegression()
# train the model using the training sets
reg.fit(X train, y train)
# regression coefficients
```

```
print('Coefficients: ', reg.coef )
# variance score: 1 means perfect prediction
print('Variance score: {}'.format(reg.score(X test, y test)))
# plot for residual error
## setting plot style
plt.style.use('fivethirtyeight')
## plotting residual errors in training data
plt.scatter(reg.predict(X train), reg.predict(X train) - y train,
                      color = "green", s = 10, label = 'Train data')
## plotting residual errors in test data
plt.scatter(reg.predict(X test), reg.predict(X test) - y test,
                      color = "blue", s = 10, label = 'Test data')
## plotting line for zero residual error
plt.hlines(y = 0, xmin = 0, xmax = 50, linewidth = 2)
## plotting legend
plt.legend(loc = 'upper right')
## plot title
plt.title("Residual errors")
## method call for showing the plot
plt.show()
```

#### **OUTPUT:**

#### Coefficients:

 $[-8.80740828e-02 \quad 6.72507352e-02 \quad 5.10280463e-02 \quad 2.18879172e+00]$ 

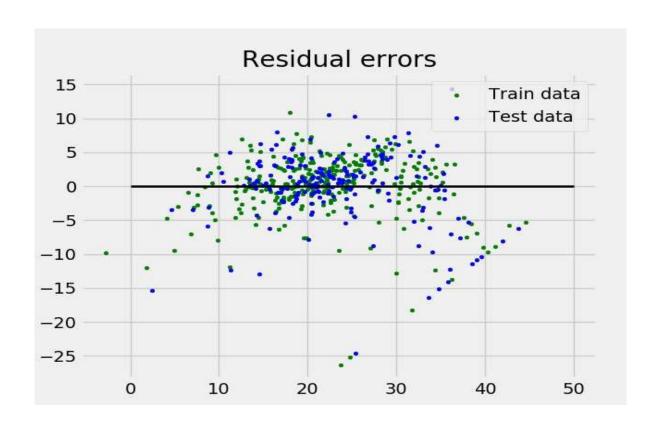
-1.72283734e+01 3.62985243e+00 2.13933641e-03 -1.36531300e+00

2.88788067e-01 -1.22618657e-02 -8.36014969e-01 9.53058061e-03

-5.05036163e-01]

Variance score: 0.720898784611

### **Residual Error plot:**



### K-nearest neighbor algorithm

This algorithm is used to solve the classification model problems. K-nearest neighbor or K-NN algorithm basically creates an imaginary boundary to classify the data. When new data points come in, the algorithm will try to predict that to the nearest of the boundary line.

Therefore, larger k value means smother curves of separation resulting in less complexmodels. Whereas, smaller k value tends to overfit the data and resulting in complex models.

**Note:** It's very important to have the right k-value when analysing the dataset to avoid overfitting and underfitting of the dataset. Using the k-nearest neighbor algorithm we fit the historical data (or train the model) and predict the future.

#### **PROGRAM**

```
# Import necessary modules

from sklearn.neighbors import KNeighborsClassifier

from sklearn.model_selection import train_test_split

from sklearn.datasets import load_iris

import numpy as np

import matplotlib.pyplot as plt

irisData = load_iris()

# Create feature and target arrays

X = irisData.data

y = irisData.target
```

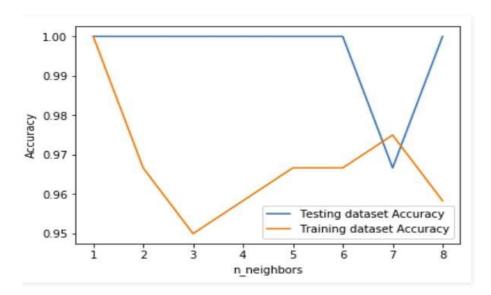
# Split into training and test set

```
X_train, X_test, y_train, y_test = train_test_split(
                     X, y, test size = 0.2, random state=42)
neighbors = np.arange(1, 9)
train accuracy = np.empty(len(neighbors))
test accuracy = np.empty(len(neighbors))
# Loop over K values
for i, k in enumerate(neighbors):
       knn = KNeighborsClassifier(n neighbors=k)
       knn.fit(X_train, y_train)
# Compute training and test data accuracy
       train accuracy[i] = knn.score(X train, y train)
       test accuracy[i] = knn.score(X test, y test)
# Generate plot
plt.plot(neighbors, test accuracy, label = 'Testing dataset Accuracy')
plt.plot(neighbors, train accuracy, label = 'Training dataset Accuracy')
plt.legend()
plt.xlabel('n neighbors')
```

plt.ylabel('Accuracy')

plt.show()

# Output:



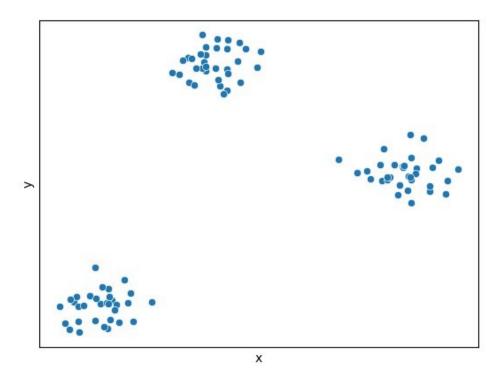
### Implementing k-means clustering

k-means clustering is an **unsupervised** machine learning algorithm that seeks to segment a dataset into groups based on the similarity of datapoints. An unsupervised model has **independent variables** and no **dependent variables**.

Suppose you have a dataset of 2-dimensional scalar attributes:

$$[(x_1, y_1), (x_2, y_2), ..., (x_n, y_n)]$$

If the points in this dataset belong to distinct groups with attributes significantly varying between groups but not within, the points should form clusters when plotted.



#### Algorithm

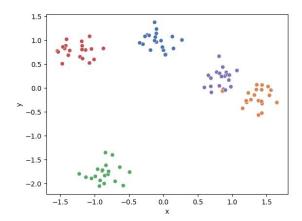
For a given dataset, k is specified to be the number of distinct groups the points belong to. These k centroids are first randomly initialized, then iterations are performed to optimize the locations of these k centroids as follows:

- 1. The distance from each point to each centroid is calculated.
- 2. Points are assigned to their nearest centroid.
- 3. Centroids are shifted to be the average value of the points belonging to it. If the centroids did not move, the algorithm is finished, else repeat.

#### Data

To evaluate our algorithm, we'll first generate a dataset of groups in 2-dimensional space. The sklearn.datasets function make\_blobs creates groupings of 2-dimensional normal distributions, and assigns a label corresponding to the group said point belongs to.

output



#### **Helper Functions**

We'll need to calculate the distances between a point and a dataset of points multiple times in this algorithm. To do so, lets define a function that calculates Euclidean distances.

```
def euclidean(point, data):
"""

Euclidean distance between point & data.

Point has dimensions (m,), data has dimensions (n,m), and output will be of size (n,).
"""

return np.sqrt(np.sum((point - data)**2, axis=1))
```

#### **Implementation**

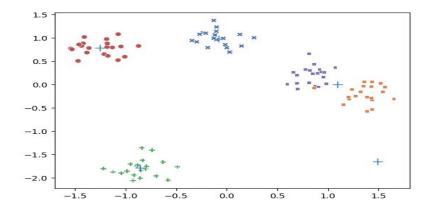
First, the k-means clustering algorithm is initialized with a value for k and a maximum number of iterations for finding the optimal centroid locations. If a maximum number of iterations is not considered when optimizing centroid locations, there is a risk of running an infinite loop.

```
class KMeans: def __init__(self, n_clusters=8, max_iter=300):
self.n_clusters = n_clusters
self.max iter = max iter
```

Now, the bulk of the algorithm is performed when fitting the model to a training dataset. First we'll initialize the centroids randomly in the domain of the test dataset, with a uniform distribution.

Now we can finally deploy our model. Lets train and test it on our original dataset and see the results. We'll keep our original method of plotting our data, by separating the true labels by color, but now we'll additionally separate the predicted labels by marker style, to see how the model performs.

#### **OUTPUT:**



### **Implementing Hierarchical clustering**

In data mining and statistics, hierarchical clustering analysis is a method of cluster analysis that seeks to build a hierarchy of clusters i.e. tree-type structure based on the hierarchy.

#### Basically, there are two types of hierarchical cluster analysis strategies –

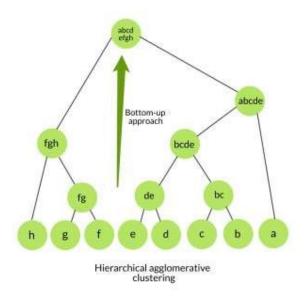
1. Agglomerative Clustering: Also known as bottom-up approach or hierarchical agglomerative clustering (HAC). A structure that is more informative than the unstructured set of clusters returned by flat clustering. This clustering algorithm does not require us to prespecify the number of clusters. Bottom-up algorithms treat each data as a singleton cluster at the outset and then successively agglomerates pairs of clusters until all clusters have been merged into a single cluster that contains all data.

#### **Algorithm:**

```
given a dataset (d<sub>1</sub>, d<sub>2</sub>, d<sub>3</sub>, ....d<sub>N</sub>) of size N
# compute the distance matrix
for i=1 to N:
# as the distance matrix is symmetric about
# the primary diagonal so we compute only lower
# part of the primary diagonal
for j=1 to i:
dis_mat[i][j] = distance[d<sub>i</sub>, d<sub>j</sub>]
each data point is a singleton cluster

repeat
merge the two cluster having minimum distance
update the distance matrix

until only a single cluster remains
```



Python implementation of the above algorithm using the scikit-learn library:

from sklearn.cluster import AgglomerativeClustering

import numpy as np

# randomly chosen dataset

# here we need to mention the number of clusters

# otherwise the result will be a single cluster

# containing all the data

 $clustering = AgglomerativeClustering(n\_clusters = 2).fit(X)$ 

# print the class labels

print(clustering.labels\_)

#### **OUTPUT:**

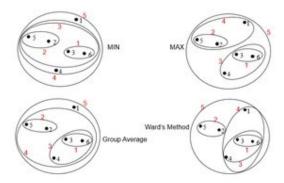
[1, 1, 1, 0, 0, 0]

Computing Distance Matrix: While merging two clusters we check the distance between two every pair of clusters and merge the pair with least distance/most similarity. But the question is how is that distance determined. There are different ways of defining Inter Cluster distance/similarity. Some of them are:

- 1. Min Distance: Find minimum distance between any two points of the cluster.
- 2. Max Distance: Find maximum distance between any two points of the cluster.
- 3. Group Average: Find average of distance between every two points of the clusters.
- 4. Ward's Method: Similarity of two clusters is based on the increase in squared error when two clusters are merged.

For example, if we group a given data using different method, we may get different results:

Hierarchical Clustering: Comparison



**2. Divisive clustering:** Also known as a top-down approach. This algorithm also does not require to prespecify the number of clusters. Top-down clustering requires a method for splitting a cluster that contains the whole data and proceeds by splitting clusters recursively until individual data have been split into singleton clusters.

#### Algorithm:

given a dataset  $(d_1, d_2, d_3, ....d_N)$  of size N at the top we have all data in one cluster the cluster is split using a flat clustering method eg. K-Means etc

### repeat

choose the best cluster among all the clusters to split split that cluster by the flat clustering algorithm **until** each data is in its own singleton cluster

